

## Multiple Choice Questions

**Q1-**

Which of the following numbers has terminating decimal expansion ?

- (A)  $\frac{37}{45}$       (B)  $\frac{21}{2^3 5^6}$       (C)  $\frac{17}{49}$       (D)  $\frac{89}{2^2 3^2}$

**Q2--**

The [HCF  $\times$  LCM] for the numbers 50 and 20 is

- (A) 10      (B) 100      (C) 1000      (D) 50

**Q3--**

Which of the following numbers has terminating decimal expansion ?

- (A)  $\frac{37}{45}$       (B)  $\frac{21}{2^3 5^6}$       (C)  $\frac{17}{49}$       (D)  $\frac{89}{2^2 3^2}$

**Q4--**

Euclid's division lemma states that for two positive integers  $a$  and  $b$ , there exist unique integers  $q$  and  $r$  such that  $a = bq + r$ , where  $r$  must satisfy –

- (A)  $1 < r < b$       (B)  $0 < r \leq b$   
(C)  $0 \leq r < b$       (D)  $0 < r < b$

**Q5--**

The decimal expansion of the rational number  $\frac{31}{2^2.5}$  will terminate after :

- (A) one decimal place      (B) two decimal places  
(C) three decimal places      (D) more than 3 decimal places

**Q6--**

Given that HCF (2520, 6600) = 40, LCM (2520, 6600) =  $252 \times k$ , then the value of  $k$  is :

- (A) 1650      (B) 1600      (C) 165      (D) 1625

**Q7--**

If  $p, q$  are two co-prime numbers. HCF ( $p, q$ ) is :

- (A)  $p$       (B)  $q$       (C)  $pq$       (D) 1

Q8--

The decimal expansion of the rational number  $\frac{23}{2^2 \cdot 5}$  will terminate after.

- (A) one decimal place      (B) two decimal places  
(C) three decimal places      (D) more than three decimal places

Q9--

$n^2 - 1$  is divisible by 8, if n is

- (A) an integer      (B) a natural number  
(C) an odd integer      (D) an even integer

Q10--

If p, q are two prime numbers, then LCM(p, q) is :

- (A) 1      (B) P      (C) q      (D) pq

Q11-

If d = HCF(48, 72), the value of d is :

- (A) 24      (B) 48      (C) 12      (D) 72

Q12--

The decimal expansion of the rational number  $\frac{11}{2^3 \cdot 5^2}$  will terminate after :

- (A) one decimal place      (B) two decimal places  
(C) three decimal place      (D) more than 3 decimal places

Q13--

If the HCF of 65 and 117 is expressible in the form 65 m - 117, then the value of m is :

- (A) 4      (B) 2      (C) 3      (D) 1

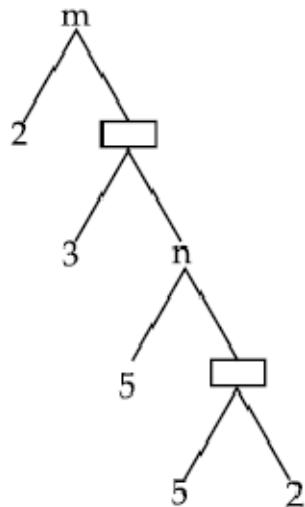
Q14--

If d = LCM(36, 198), then the value of d is :

- (A) 396      (B) 198      (C) 36      (D) 1

Q15

In the adjoining factor tree, find the numbers m, n :



- A) 2,6      B) 300, 150      C) 10 ,50      D) 25,6

Q16--

Which of the following is a non-terminating repeating decimal ?

- (A)  $\frac{35}{14}$       (B)  $\frac{14}{35}$       (C)  $\frac{1}{7}$       (D)  $\frac{7}{8}$

Q17--

If  $x = 2^3 \times 3 \times 5^2$ ,  $y = 2^2 \times 3^3$ , then HCF ( $x, y$ ) is :

- (A) 12      (B) 108      (C) 6      (D) 36

Q18--

The rational number of decimal number  $0.\overline{6}$  is :

- (a)  $\frac{33}{50}$       (b)  $\frac{2}{3}$       (c)  $\frac{111}{167}$       (d)  $\frac{1}{3}$

Q19--

Given that  $HCF(253, 440) = 11$  and  $LCM(253, 440) = 253 \times R$ . The value of R is :

- (a) 400      (b) 40      (c) 440      (d) 253

Q20

If two positive integers  $a$  and  $b$  are written as  $a = x^2 y^2$  and  $b = xy^2$ ;  $x, y$  are prime numbers then HCF (a, b) is :

- (a)  $xy$       (b)  $xy^2$       (c)  $x^2y^3$       (d)  $x^2y^2$

Q21--

Given that HCF (26, 91) = 13, then LCM of (26, 91) is :

- (A) 2366      (B) 182      (C) 91      (D) 364

Q22--

$(2 + \sqrt{5})(2 - \sqrt{5})$  expression is :

- (A) A rational number      (B) A whole number  
(C) An irrational number      (D) A natural number

Q23--

If the HCF of 85 and 153 is expressible in the form  $85n - 153$ , then value of  $n$  is :

- (A) 3      (B) 2      (C) 4      (D) 1

Q24--

$(\sqrt{2} - \sqrt{3})(\sqrt{3} + \sqrt{2})$  is

- (A) A rational number      (B) A whole number  
(C) An irrational number      (D) A natural number

Q25--

A rational number can be expressed as a terminating decimal if the denominator has factors

- (A) 2, 3 or 5      (B) 2 or 3      (C) 3 or 5      (D) 2 or 5

Q26--

The decimal expansion of  $\frac{33}{2^2 \times 5}$  will terminate after :

- (A) One decimal place      (B) Two decimal places  
(C) Three decimal places      (D) More than three decimal places

Q27

Which is not an Irrational number ?

- (A)  $5 - \sqrt{3}$       (B)  $\sqrt{2} + \sqrt{5}$       (C)  $4 + \sqrt{2}$       (D)  $6 + \sqrt{9}$

Q28--

Which is not irrational number ?

- (A)  $\sqrt{5} - \sqrt{3}$       (B)  $6 + \sqrt{9}$       (C)  $\sqrt{3} - 1$       (D)  $2\sqrt{3} - 3$

Q29--

How many prime factors are there in prime factorization of 5005.

- (A) 2      (B) 4      (C) 6      (D) 7

Q30--

$119^2 - 111^2$  is :

- (A) Prime number      (B) Composite number  
(C) An odd prime number      (D) An odd composite number

Q31--

If least prime factor of a is 3 and least prime factor of b is 7, the least prime factor of  $(a+b)$  is :

- (A) 2      (B) 3      (C) 5      (D) 11

Q32—

If a, b are coprime, then  $a^2, b^2$  are :

- (A) Coprime      (B) Not coprime  
(C) Odd numbers      (D) Even numbers

Q33--

The product of the HCF and LCM of the smallest prime number and the smallest composite number is :

- (A) 2      (B) 4      (C) 6      (D) 8

Q34--

The decimal expansion of the rational number  $\frac{43}{2^4 \times 5^3}$  will terminate after :

- (A) 3 places      (B) 4 places      (C) 5 places      (D) 1 place

Q46

Euclid's division lemma states that if  $a$  and  $b$  are any two +ve integers, then there exists unique integers  $q$  and  $r$  such that

- (A)  $a = bq + r, 0 < r < b$       (B)  $a = bq + r, 0 \leq r \leq b$   
(C)  $a = bq + r, 0 \leq r < b$       (D)  $a = bq + r, 0 < b < r$

Q36--

Which of the following is not an irrational number ?

- (A)  $5 - \sqrt{3}$       (B)  $\sqrt{5} + \sqrt{3}$       (C)  $4 + \sqrt{2}$       (D)  $5 + \sqrt{9}$

Q37--

Which of the following is rational ?

- (A)  $\sqrt{6} + \sqrt{9}$       (B)  $\sqrt{2} + \sqrt{4}$       (C)  $\sqrt{4} + \sqrt{9}$       (D)  $\sqrt{3} + \sqrt{5}$

Q38--

Euclid's division lemma states that if  $a$  and  $b$  are two positive integers, then there exist unique integers  $q$  and  $r$  such that :

- (A)  $a = bq + r, 0 < r < b$       (B)  $a = bq + r, 0 \leq r \leq b$   
(C)  $a = bq + r, 0 \leq r < b$       (D)  $a = bq + r, 0 \leq b < r$

Q39--

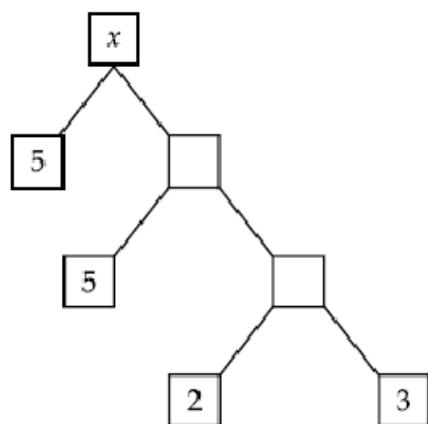
Which of the following rational numbers have a terminating decimal expansion ?

- (A)  $\frac{125}{441}$       (B)  $\frac{77}{210}$   
(C)  $\frac{15}{1600}$       (D)  $\frac{129}{2^2 \times 5^2 \times 7^2}$

Q40--

**Q46**

The value of  $x$  in the factor tree is :



- (A) 30      (B) 150      (C) 100      (D) 50

**Q41--**

Which of the following rational numbers have non terminating and repeating decimal expansion ?

- (A)  $\frac{15}{1600}$       (B)  $\frac{17}{6}$       (C)  $\frac{23}{8}$       (D)  $\frac{35}{50}$

**Q42--**

According to Euclid's division algorithms HCF of any two positive integers  $a$  and  $b$  with  $a > b$  is obtained by applying Euclid's division lemma to  $a$  and  $b$  to find  $q$  and  $r$  such that  $a = bq + r$  where  $r$  must satisfy.

- (A)  $1 < r < b$       (B)  $0 < r < b$       (C)  $0 \leq r < b$       (D)  $0 < r \leq b$

**Q43--**

The decimal expansion of  $\frac{141}{120}$  will terminate after how many places of decimals ?

- (A) 1      (B) 2      (C) 3      (D) will not terminate

**Q44--**

The decimal expansion of  $\frac{131}{120}$  will terminate after how many places of decimal ?

- (A) 1      (B) 2      (C) 3      (D) will not terminate

Q45--

The decimal expansion of  $\frac{6}{1250}$  will terminate after how many places of decimal?



**Q46--**

According to Euclid's division algorithm using Euclid's division lemma for any two positive integers  $a$  and  $b$  with  $a > b$  enables us to find :



**Q47--**

The decimal expansion of  $\frac{7}{125}$  will terminate after how many places of decimal?



Q48—

For some integer  $m$ , every even integer is of the form

- (A)  $m$       (B)  $m + 1$   
 (C)  $2m$       (D)  $2m + 1$

**Q49—**

For some integer  $q$ , every odd integer is of the form

- |          |              |
|----------|--------------|
| (A) $q$  | (B) $q + 1$  |
| (C) $2q$ | (D) $2q + 1$ |

Q50--

The largest number which divides 70 and 125, leaving remainders 5 and 8, respectively, is



Q51—

If two positive integers  $a$  and  $b$  are written as

$a = x^3y^2$  and  $b = xy^3$ ;  $x, y$  are prime numbers, then HCF ( $a, b$ ) is

- (A)  $xy$       (B)  $xy^2$       (C)  $x^3y^3$       (D)  $x^2y^2$

052-

If two positive integers  $p$  and  $q$  can be expressed as

$p = ab^2$  and  $q = a^3b$ ;  $a, b$  being prime numbers, then LCM ( $p, q$ ) is

- (A)  $ab$       (B)  $a^2b^2$       (C)  $a^3b^2$       (D)  $a^3b^3$

Q46

The product of a non-zero rational and an irrational number is



**Q54—**

The least number that is divisible by all the numbers from 1 to 10 (both inclusive) is

- (A) 10      (B) 100      (C) 504      (D) 2520

**Q55—**

The decimal expansion of the rational number  $\frac{14587}{1250}$  will terminate after:



**Q55—**  $5 \times 11 \times 13 + 7$  is a

- (a) prime number      (b) composite number      (c) odd number      (d) none

Q56—

Which of these numbers always ends with the digit 6.



Q57—

For  $a, b$  ( $a \neq b$ ) positive rational numbers  $(\sqrt{a} + \sqrt{b})(\sqrt{a} - \sqrt{b})$  is a \_\_\_\_\_



Q58—

If  $p$  is a positive rational number which is not a perfect square, then  $\sqrt{-3p}$  is



**Q-59--**All decimal numbers are—

- (a) rational numbers    (b) irrational numbers    (c) real numbers    (d) integers

**Q-60** In Euclid Division Lemma, when  $a = bq + r$ , where  $a, b$  are positive integers which one is correct.

- (a)  $0 < r \leq b$       (b)  $0 \leq r < b$       (c)  $0 < r < b$       (d)  $0 \leq r \leq b$

**Q-61** Which of the following numbers is irrational number

- (a) 3.131131113...      (b) 4.46363636...      (c) 2.35      (d) b and c both

Q46

**Q-62** HCF is always



**Q-63** The product of two consecutive natural numbers is always.



**Q-64** Which of the following is an irrational number between 0 and 1

- (a) 0.11011011...      (b) 0.90990999...      (c) 1.010110111...      (d) 0.303030...

**Q-65**  $p^n = (a \times 5)^n$ . For  $p^n$  to end with the digit zero  $a = \underline{\hspace{2cm}}$  for natural no. n

- (a) any natural number (b) even number (c) odd number (d) none.